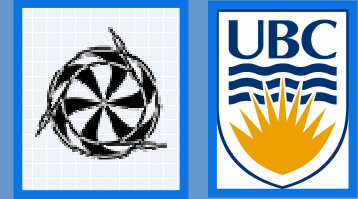


Triumf Weak Interaction Symmetry Test



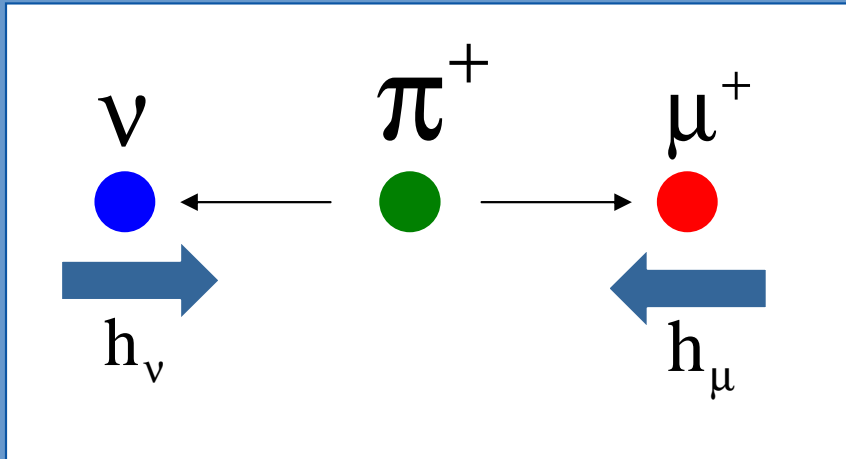
The final TWIST measurement of P_{μ}^{ξ}

James Bueno, TRIUMF / University of British Columbia

Outline

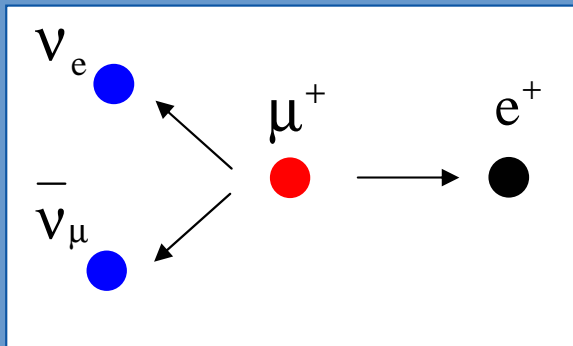
- Muon decay: physics relevant to P_{μ}^{ξ}
- Previous measurements and possibilities of new physics.
- Depolarisation in TWIST
 - solenoid fringe field
 - muon stopping target

Standard Model and $P_\mu \xi$



SM predicts

$$P_\mu = 1, \xi = 1$$

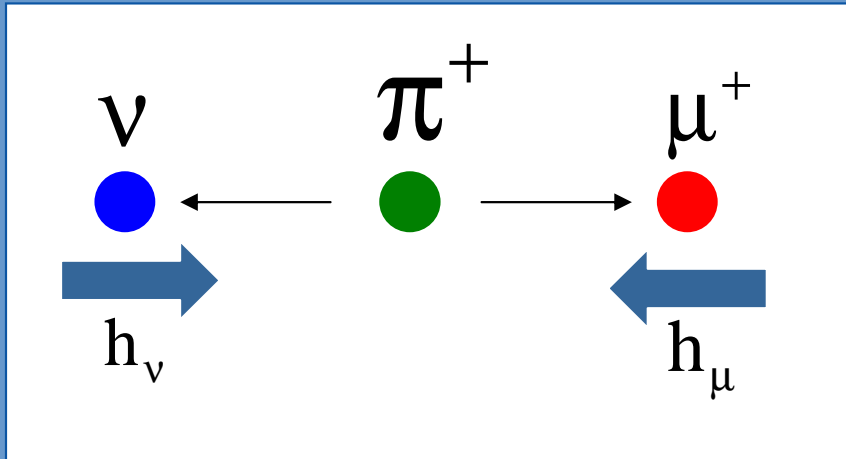


$$\frac{d^2\Gamma}{dx \cdot d\cos\theta} = \left[\frac{m_\mu}{4\pi^3} W_{e\mu}^4 G_F^2 \sqrt{x^2 - x_0^2} (F_{IS}(x) + P_\mu \cos\theta \cdot F_{AS}(x)) + RC \right]$$

$$F_{AS}(x) \propto \frac{1}{3} \xi \sqrt{x^2 - x_0^2} \left[1 - x + \frac{2}{3} \delta \left(4x - 3 + \left(\sqrt{1 - x_0^2} - 1 \right) \right) \right]$$

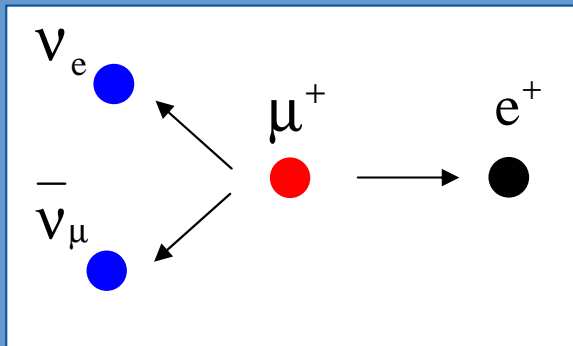
c.f. Anthony's talk

Standard Model and $P_\mu \xi$



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c.f. Anthony's talk

The differential decay rate contains the product $P_\mu \xi$

New physics

muon handedness

SM predicts LH muon decays to LH positron.

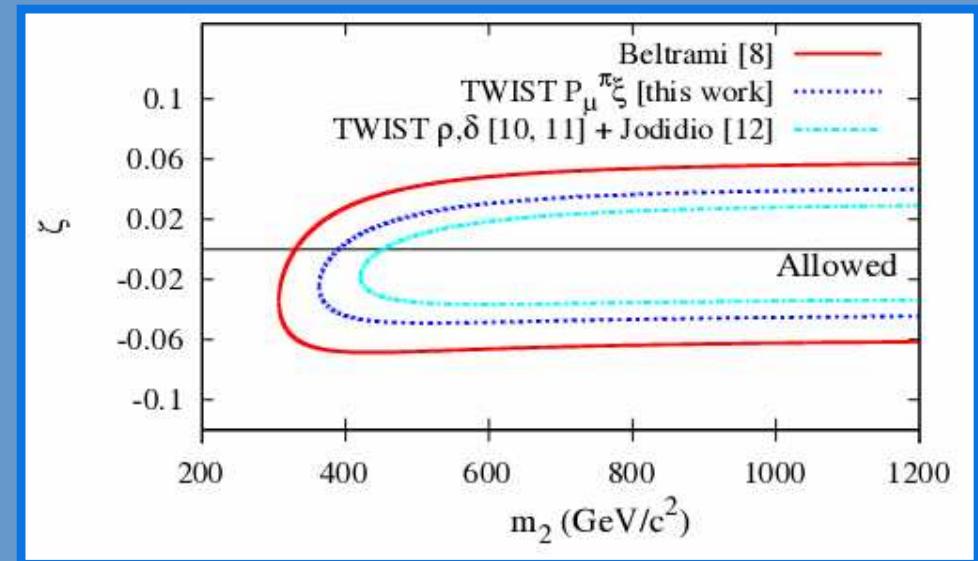
Probability of RH muon decay to a LH or RH positron is

$$Q_R^\mu = \frac{1}{2} \left[1 + \frac{1}{3} \xi - \frac{16}{9} \xi \delta \right]$$

left-right symmetric models

$$W_L = W_1 \cos \zeta + W_2 \sin \zeta$$

$$W_R = -W_1 \sin \zeta + W_2 \cos \zeta$$



$$1 - P_\mu^\xi \approx 4 \left[\zeta^2 + \zeta \left(\frac{m_1}{m_2} \right)^2 + \left(\frac{m_1}{m_2} \right)^4 \right]$$

Previous measurements of $P_{\mu\xi}$

Direct measurements:

Beltrami et al. [1987] $1.0027 \pm \underline{0.0079 \text{ (stat)}} \pm 0.0030 \text{ (syst)}$

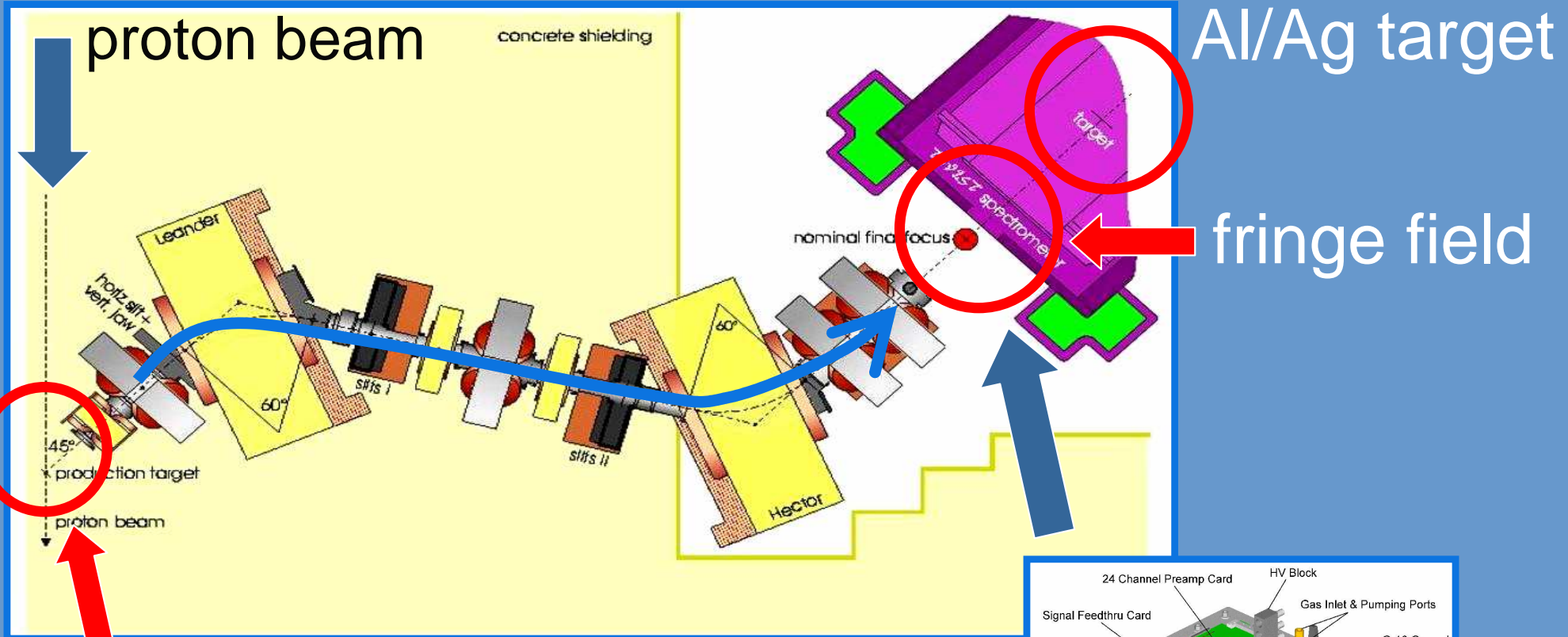
Jamieson et al. [2004]
(TWIST) $1.0003 \pm 0.0006 \text{ (stat)} \pm \underline{0.0038 \text{ (syst)}}$

Indirect measurements:

Jodidio et al. & TWIST $0.9960 < P_{\mu\xi} < 1.0040 \text{ (90\%)}$

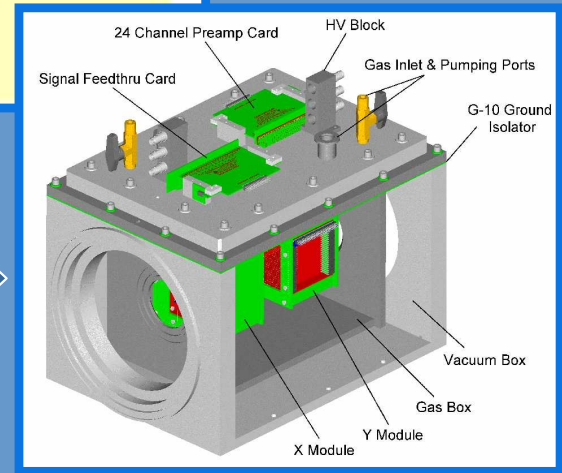
2006/7 analysis: aim for total
systematic uncertainty < 0.0010.

Depolarisation in TWIST

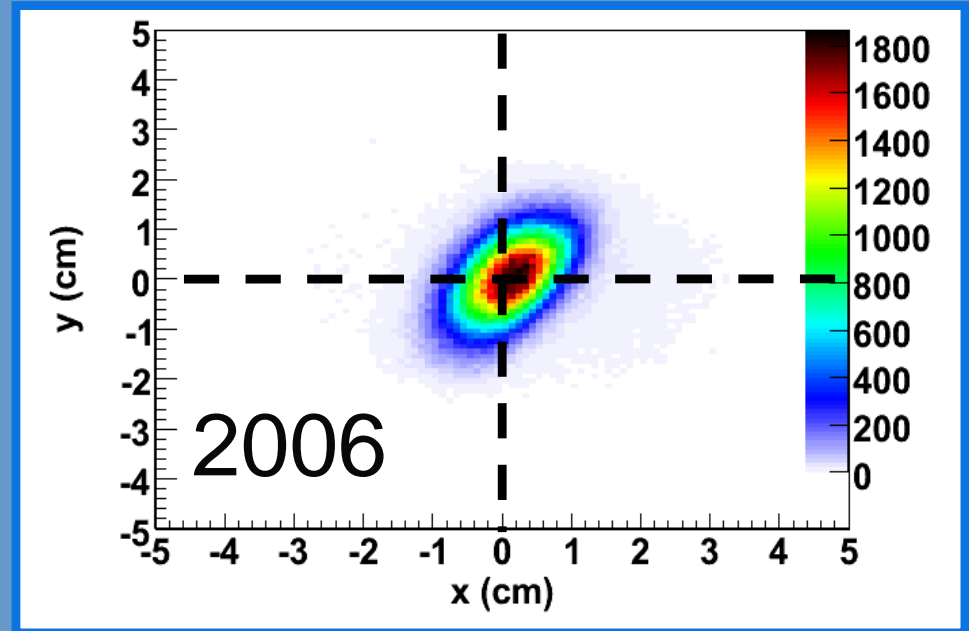
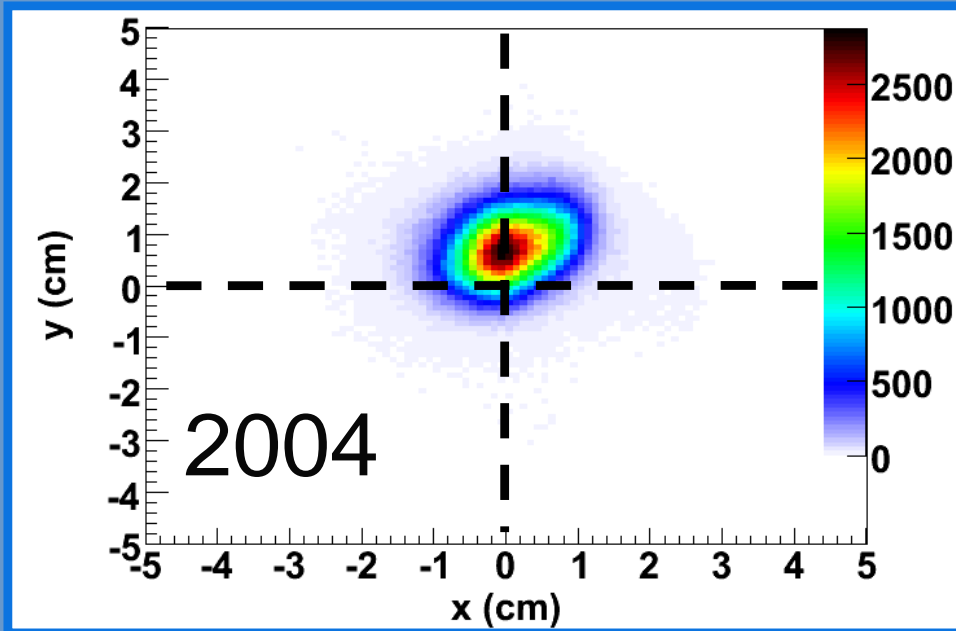


graphite proton target

removable beam monitor



Depolarisation in fringe field



$$\langle x \rangle, \langle y \rangle = (0.05, 0.74) \text{ cm}$$

$$\langle \theta_x \rangle, \langle \theta_y \rangle = (-6.7, -11.2) \text{ mrad}$$

$$\langle x \rangle, \langle y \rangle = (0.13, 0.02) \text{ cm}$$

$$\langle \theta_x \rangle, \langle \theta_y \rangle = (-4.9, -1.0) \text{ mrad}$$

also: 3 sets taken in 2006 with deliberate mis-steering
to validate simulation of P_μ

Depolarisation in fringe field

2004: uncertainty of 0.0031 in P_{μ}^{ξ}

B2 (mT)	\bar{x} (cm)	$\bar{\theta}_x$ (mrad)	\bar{y} (cm)	$\bar{\theta}_y$ (mrad)	P_{μ}^{sim}
94.4	0.07	-5.9	0.97	7.0	0.9929
94.4	0.06	-6.7	0.73	-11.2	0.9941
94.9	0.85	-1.1	0.87	-5.0	0.9955
94.9	0.94	-1.5	0.64	-19.2	0.9922

beam angle
changed between
monitoring runs

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For 2006/7:

- Monitor beam at beginning and end of every set.
- Monitor proton beamline and beam on production target.
- Entire sets with beam monitor 'in' to look for changes.

Depolarisation in fringe field

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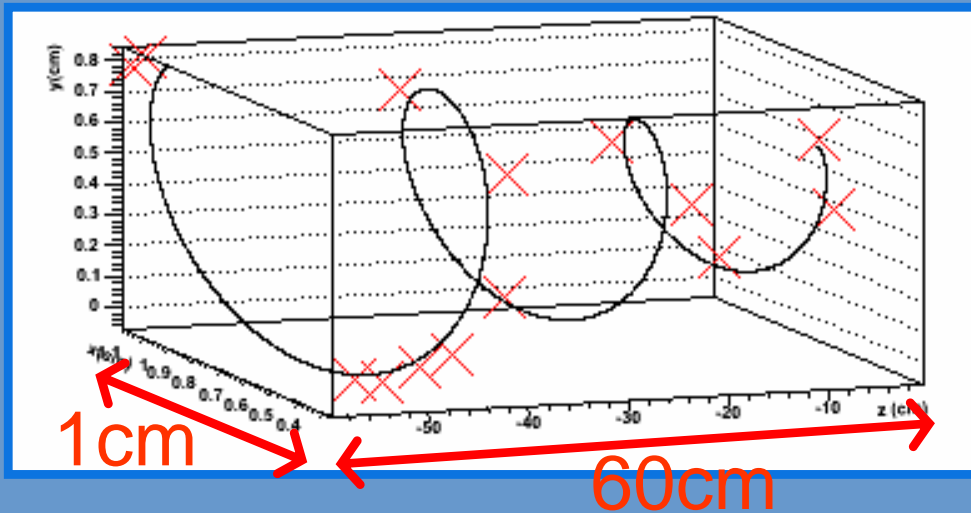
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For 2006/7:

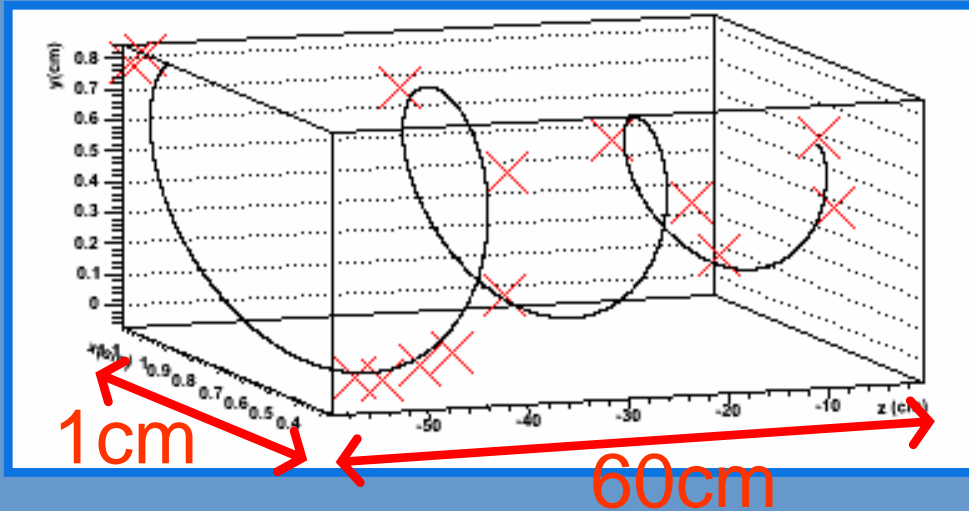
- Monitor beam at beginning and end of every set.
- Monitor proton beamline and beam on production target.
- Entire sets with beam monitor 'in' to look for changes.
- Efficiency of beam monitor closely monitored.
- Improved beam monitor to detector alignment and beam monitor calibration.

Beam stability

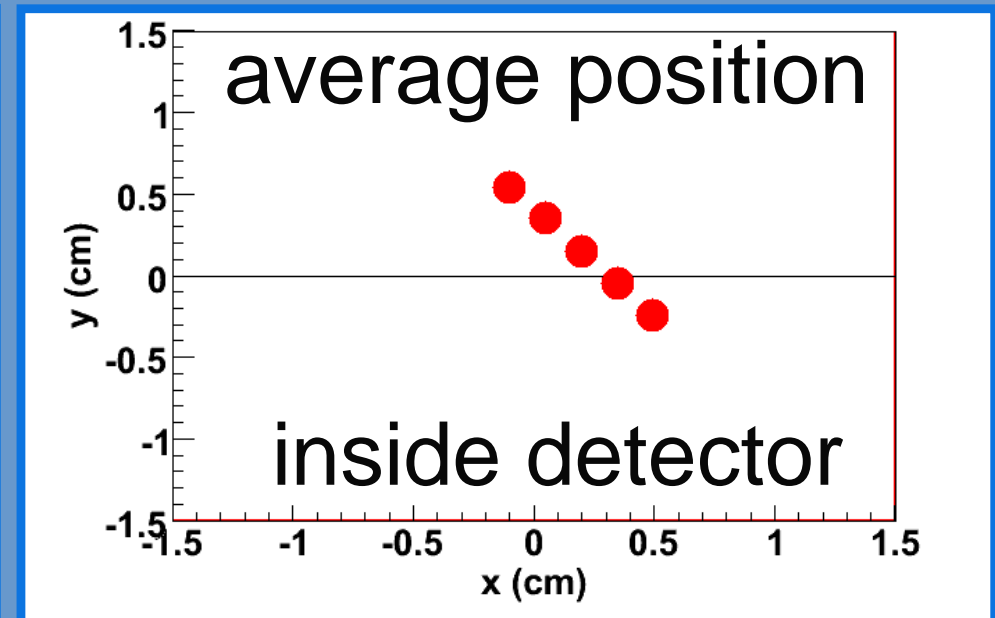
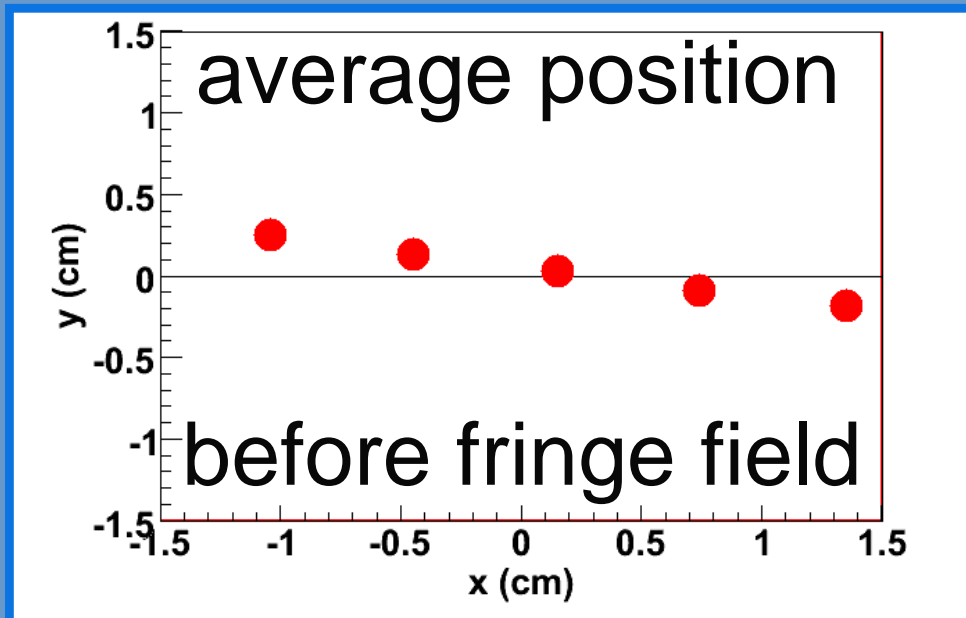


discovered that internal muon beam is sensitive to angle changes $< 2\text{mrad}$
position changes $< 2\text{mm}$

Beam stability



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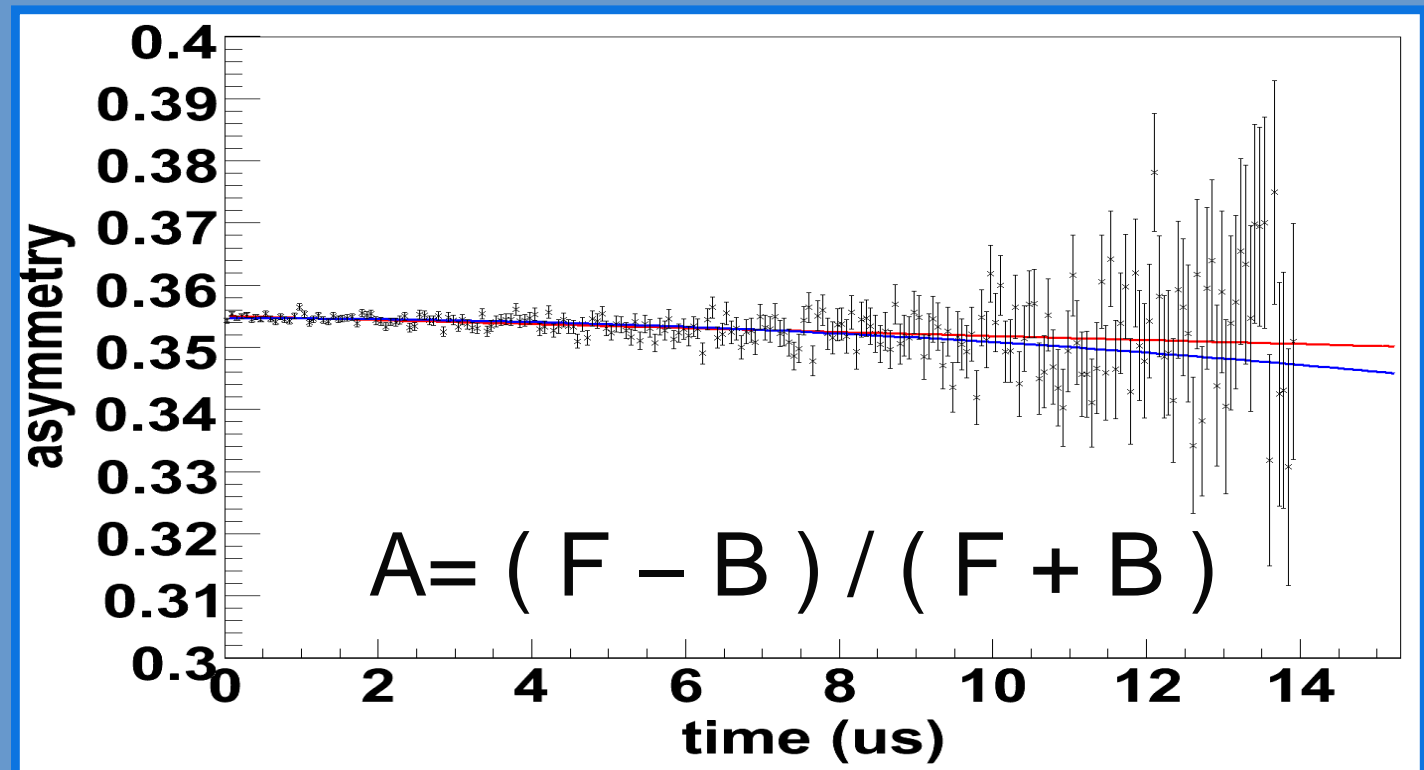
Depolarisation at stopping target

2004: uncertainty of 0.0012 in $P_\mu \xi$

$$P_\mu(t) = P_\mu(0) \cdot \exp(-at) \quad (\text{red})$$

$$P_\mu(t) = P_\mu(0) \cdot \exp(-bt^2) \quad (\text{blue})$$

MuSR
needed



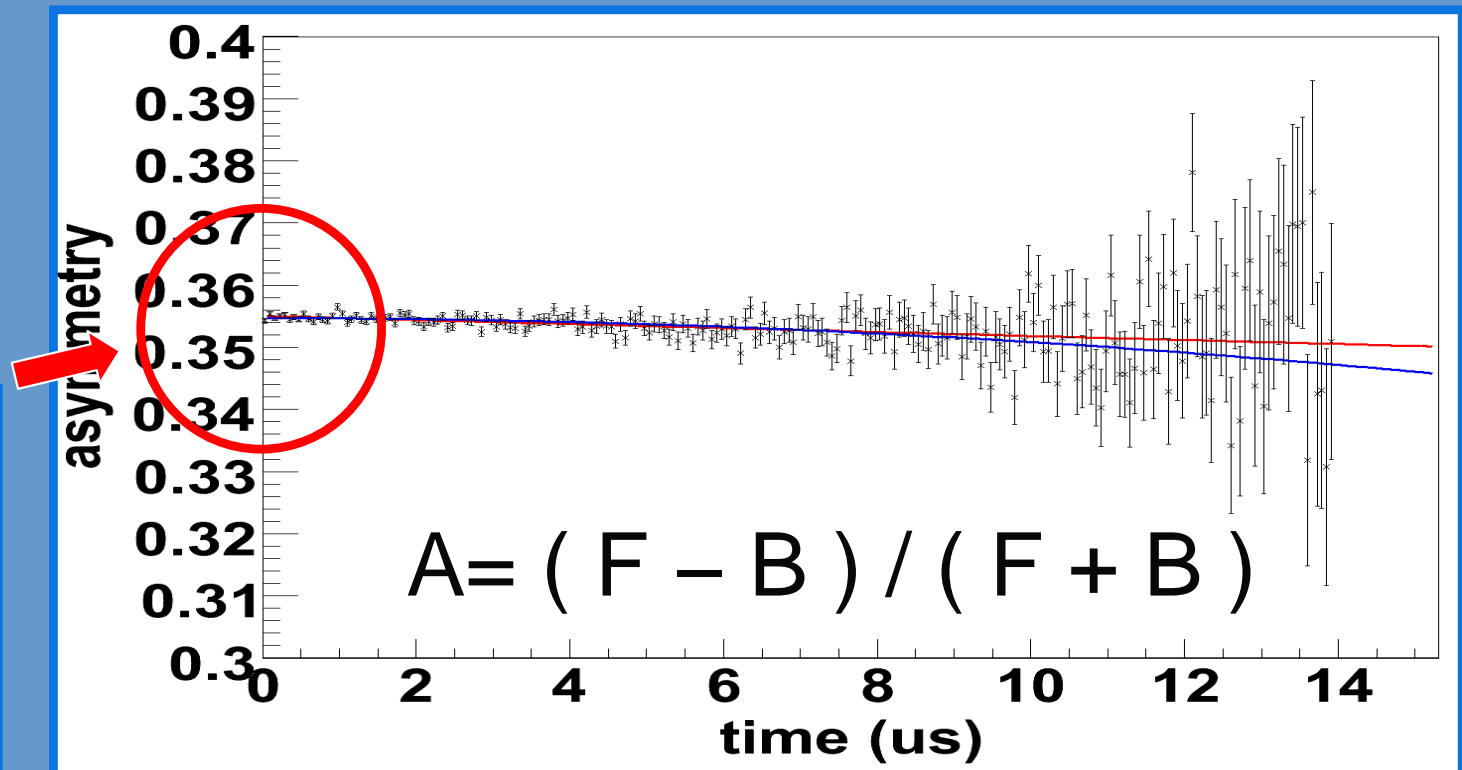
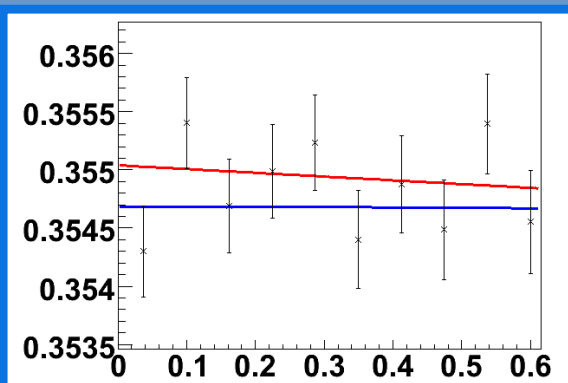
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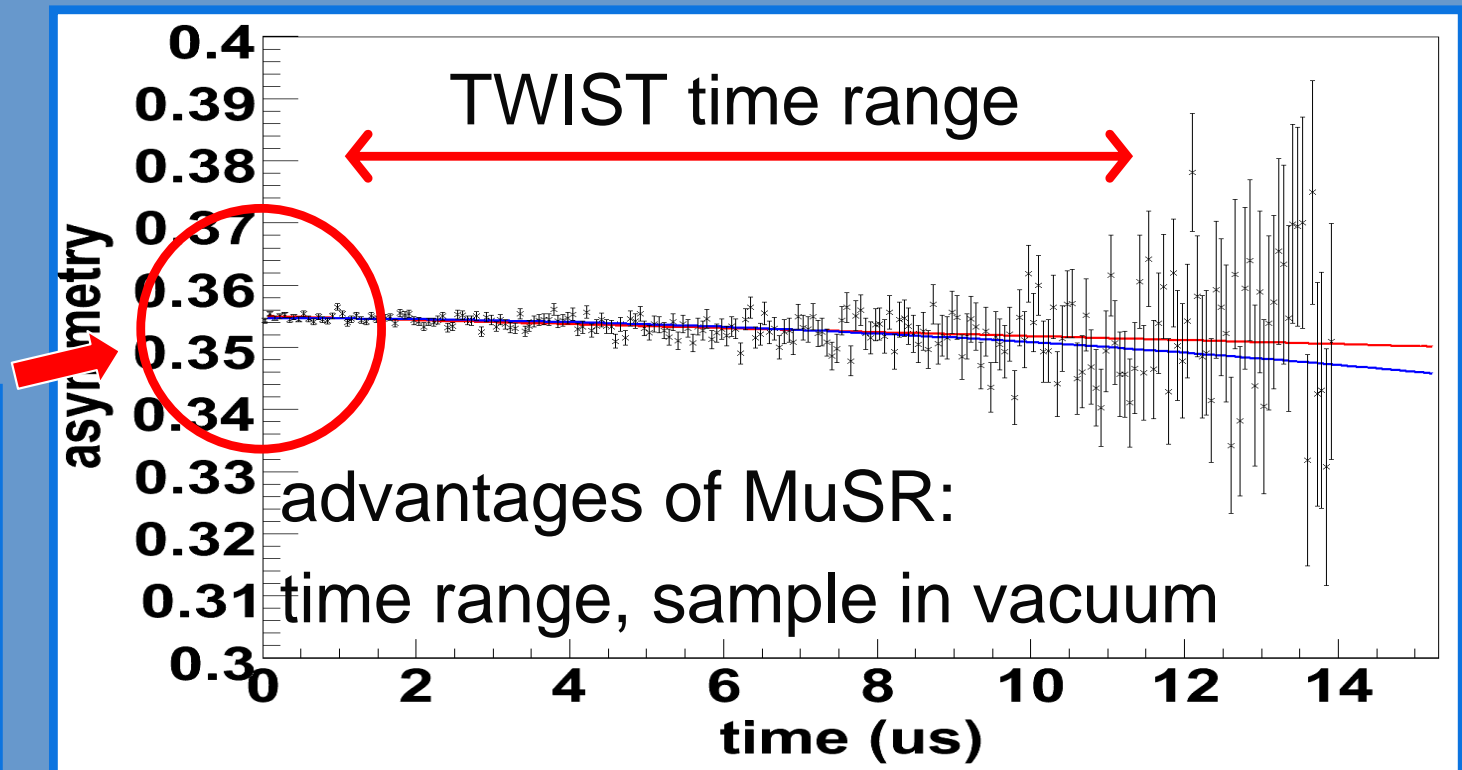
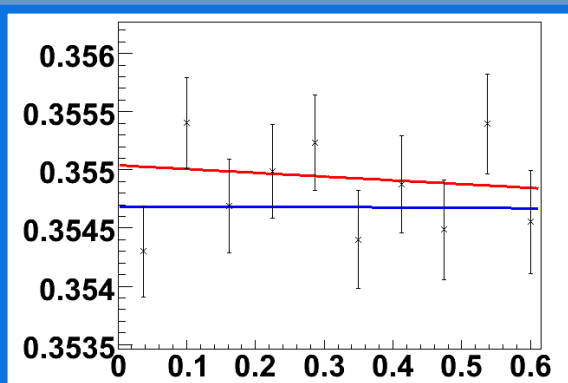
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MuSR
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Summary for $P_{\mu}\xi$

- Aim to improve uncertainty on pre-TWIST measurement of $P_{\mu}\xi$ by an order of magnitude.
- Beam steered on axis to reduce depolarisation.
- Many improvements in beam monitor.
- Internal muon beam information gives stability information.
- MuSR experiment reduces uncertainty on stopping target depolarisation.
- Expect final results in 2008/9.

Questions and comments

TRIUMF

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Peter Gumplinger

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Glen Marshall

Dick Mischke

Mina Nozar

Konstantin Olchanski

Art Olin†

Robert Openshaw

Jean-Michel Poutissou

Renée Poutissou

Grant Sheffer

Bill Shin‡‡

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Ted Mathie

Roman Tacik

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Pierre Depommier

Valparaiso

Don Koetke

Shirvel Stanislaus

Kurchatov Institute

Vladimir Selivanov

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Andrei Gaponenko**

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British Columbia

James Bueno*

Mike Hasinoff

Blair Jamieson**

Texas A&M

Carl Gagliardi

Jim Musser**

Bob Tribble

TWIST is supported in part by the Natural Sciences and Engineering Research Council and the National Research Council of Canada, the Russian Ministry of Science, and the U.S. Department of Energy.

Computing resources for the analysis are provided by Westgrid.

* graduate student, ** graduated

† also UVic, ‡‡ also Saskatchewan

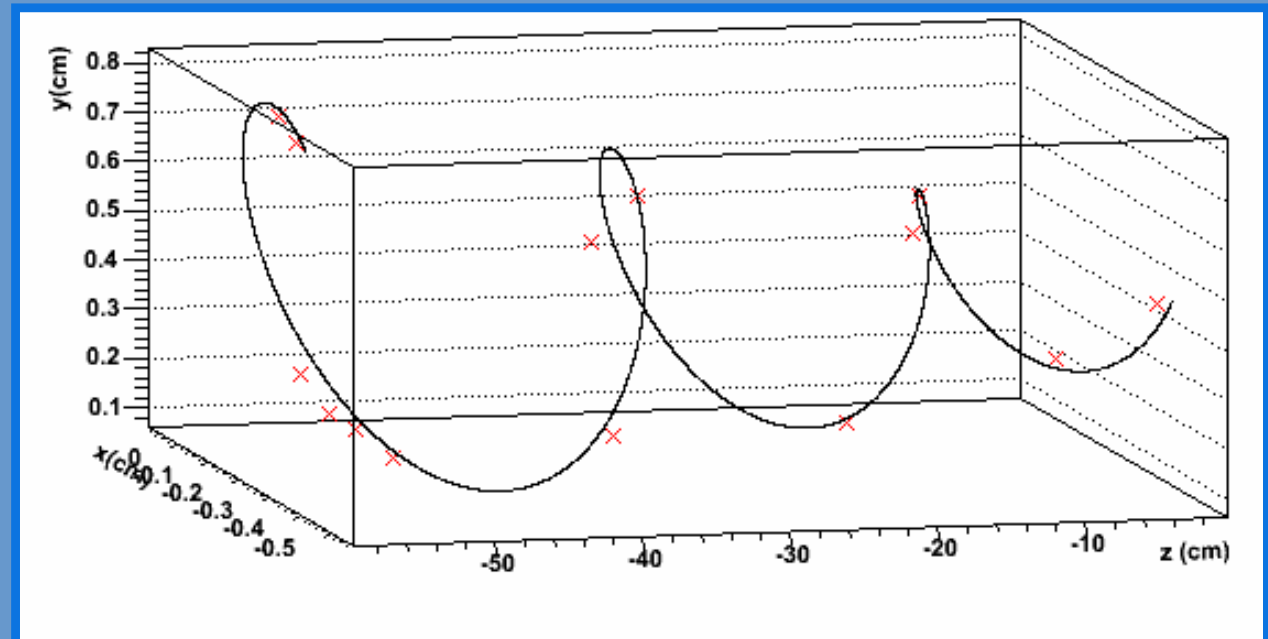
Fitting the average beam

$$\begin{pmatrix} x \\ y \end{pmatrix} = (A - A_\rho \cdot z') \begin{pmatrix} \sin f(z) \\ \cos f(z) \end{pmatrix} + \begin{pmatrix} \Delta_x \\ \Delta_y \end{pmatrix}$$

$$f(z) = \frac{2\pi}{\lambda - \lambda_\rho \cdot z'} \cdot z' + \phi$$

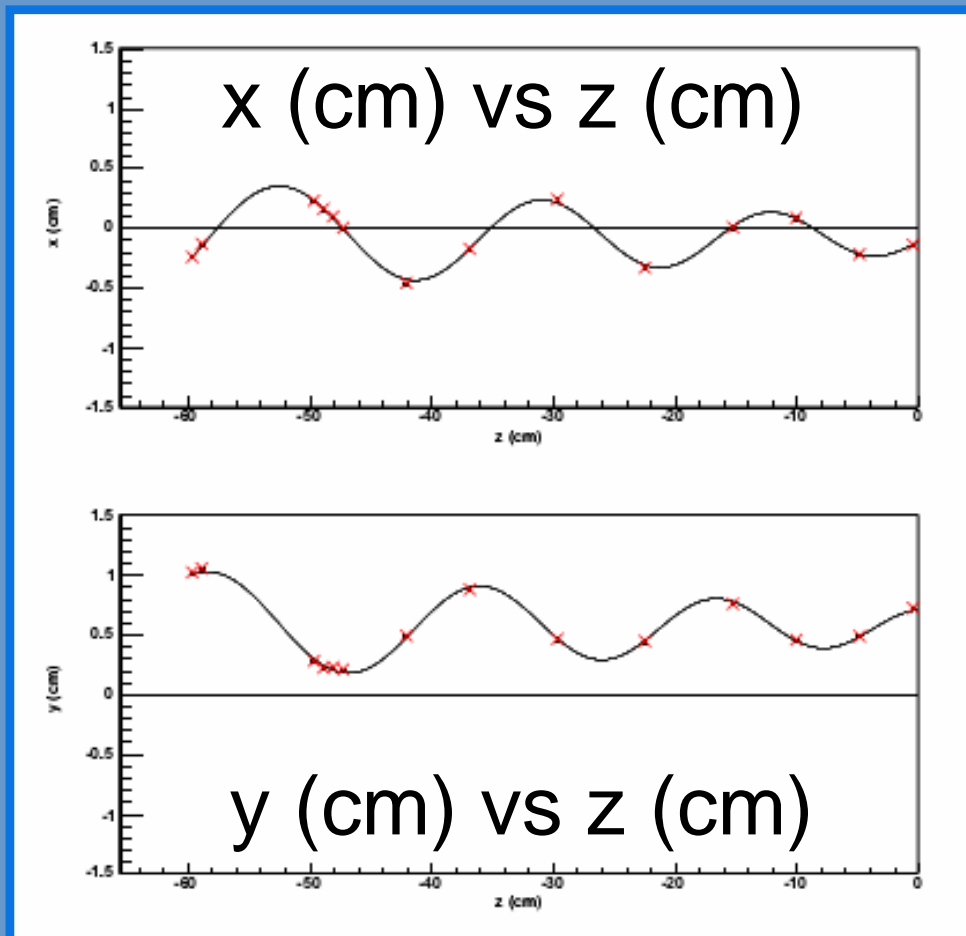
$$z' = z + \text{position of PC1,2 (-59.59 cm)}$$

Helix works!

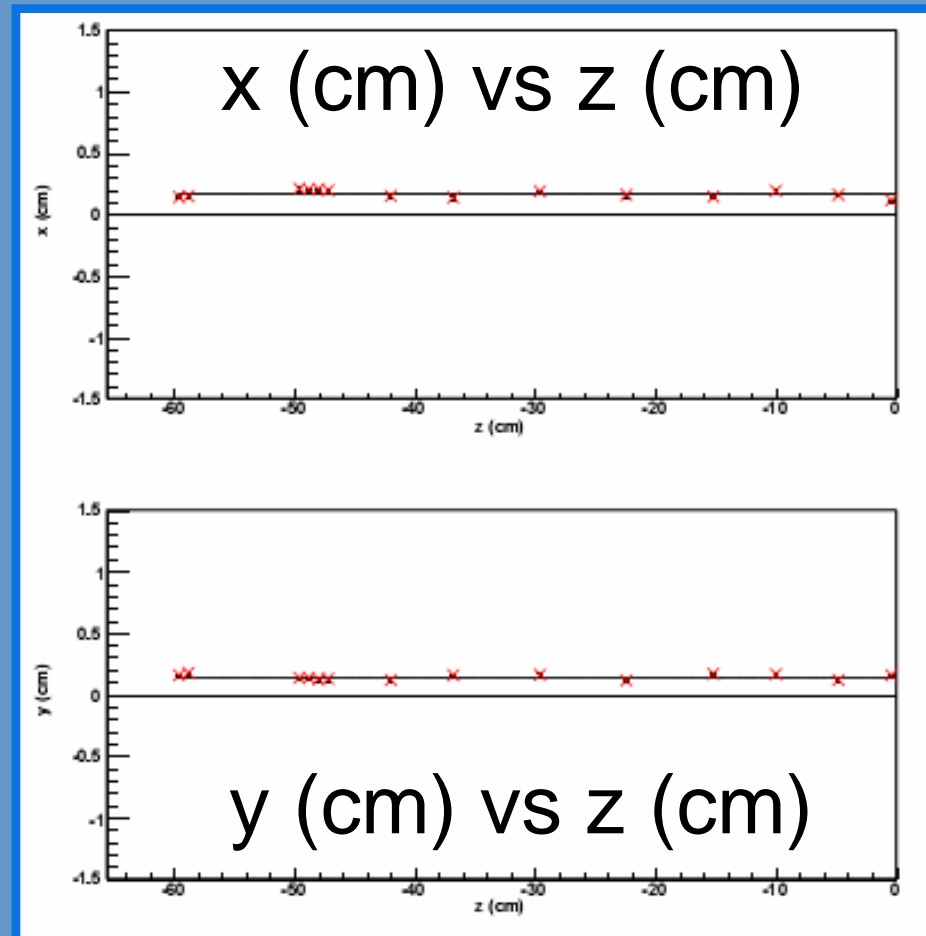


Example

(from the 2006 research proposal)



B2 changed



vertically steered beam

Depolarisation theory

- No muonium as B field aligns conduction electron spins to shield formation.
- Relaxation could occur due to
 - i) conduction electrons [Korringa, most likely]
 - ii) nuclear moments of Al or Ag
 - iii) paramagnetic impurities

Exponential fits to Al and Ag

aluminium	λ (10^{-6}ns^{-1})
Jodidio	0.43 ± 0.34
2004 TWIST best fit	1.36 ± 0.12
Jess's fit	1.64 ± 0.17
James's preliminary fit	1.74 ± 0.20

silver	λ (10^{-6}ns^{-1})
Dick's fit	1.4 ± 0.2
James's fit	1.41 ± 0.26